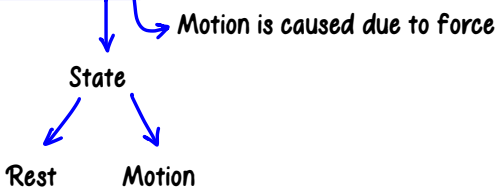


What causes Motion?



Force can:

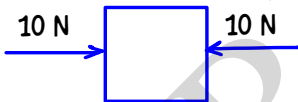
- Bring a rested body to Motion
- Bring a moving body to rest
- Speed up a body (acceleration)
- Speed down a body (applying brakes)
- Change the direction of a body
- Change the shape/size

→ Force is producing the change in velocity

Concept of forces

S.I unit of force: Newton
Represented as "N"

Case 1

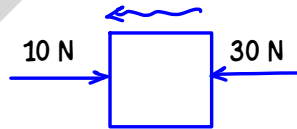


Net force = 0

Balanced force

Acceleration = 0

Case 2



$F_{\text{net}} = 30 - 20$

= 10 N

Unbalanced force



→ $a_c = 0$ → No change in velocity

Frictional force

Contact and Non-contact forces → Types of forces

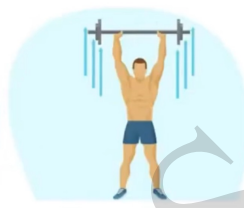
Contact Forces



Frictional force

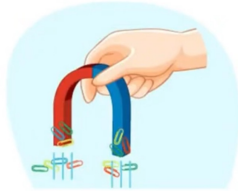


Spring force



Muscular force

Non-Contact Forces



Magnetic Force



Gravitational Force



Electrostatic Force

Force

Conservative force

- Work done is independent of the path
- Work done is 0 in case of closed path
- Eg: gravitational force, non-contact force, spring force

↓
Exception

Non-conservative force

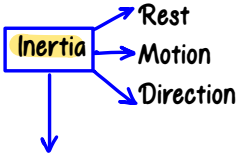
- Work done is dependent on path taken
- Eg: frictional force

Laws of motion

- By Newton and Galileo
- However three laws of motion given by Newton

1st Law of Motion

An object if at rest remains at rest or if in motion remains in motion at a constant velocity unless an external force is applied on it



Depends on mass of the object

$$\text{Inertia} \propto \text{Mass}$$

Current state

Change

Resist

Inertia

Examples:

- The dry leaves and fruits falls when we shake a tree
- A person sitting in a moving car may be pushed forward when the car stops abruptly as our legs are in contact with the surface

2nd Law of Motion

Momentum → Quantifies motion

$$p = m \times V$$

S.I unit of $p = \text{Kg m/s}$

M_V Truck (where mass of the body is more than the velocity)

V_m Bullet bike (where the velocity is more than the mass of the truck)

Force = rate of change in momentum

Derivation

• change in momentum = $mV - mu$

• Rate of change in momentum = $\frac{mV - mu}{t}$

$$\rightarrow F = m \times a$$

$$F = \text{Kg m/s}^2$$

F = vector quantity

m = scalar quantity

a = vector quantity

$$= m \frac{(V - u)}{t}$$

\downarrow
 a

$$\text{Force (f)} = ma$$

p = vector quantity

m = scalar quantity

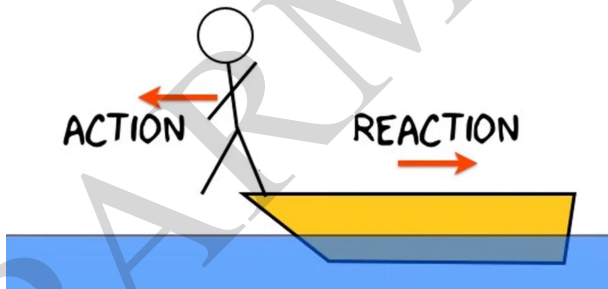
V = vector quantity

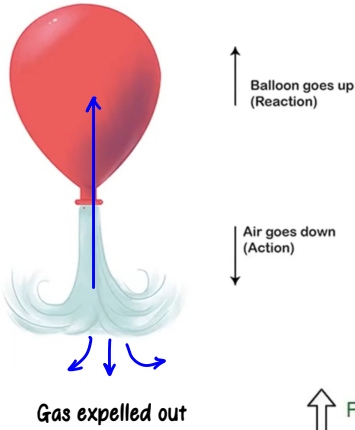
A constant force acts on an object of mass 5 kg for a duration of 2 s. It increases the object's velocity from 3 m s⁻¹ to 7 m s⁻¹. Find the magnitude of the applied force. Now, if the force was applied for a duration of 5 s, what would be the final velocity of the object?

$$\begin{aligned} \rightarrow F &= m \times a \\ F &= m \times \left(\frac{v - u}{t} \right) \\ F &= 5 \times \left(\frac{7 - 3}{2} \right) \\ 5 \times \frac{4}{2} &= 10 \text{ N} \end{aligned} \qquad \begin{aligned} 10 &= 5 \times \left(\frac{v - 3}{5} \right) \\ 10 &= v - 3 \\ v &= 13 \text{ m/s} \end{aligned}$$

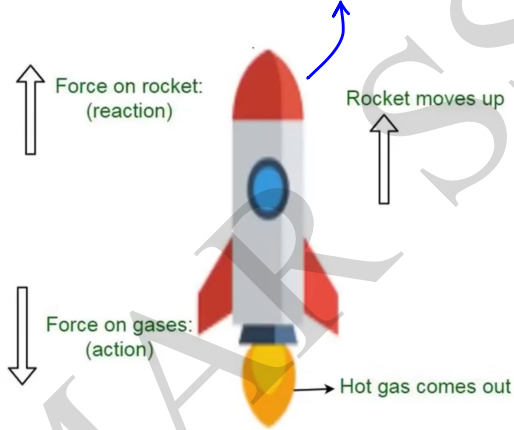
3rd Law of Motion

- It states that for every action there is an equal and opposite reaction

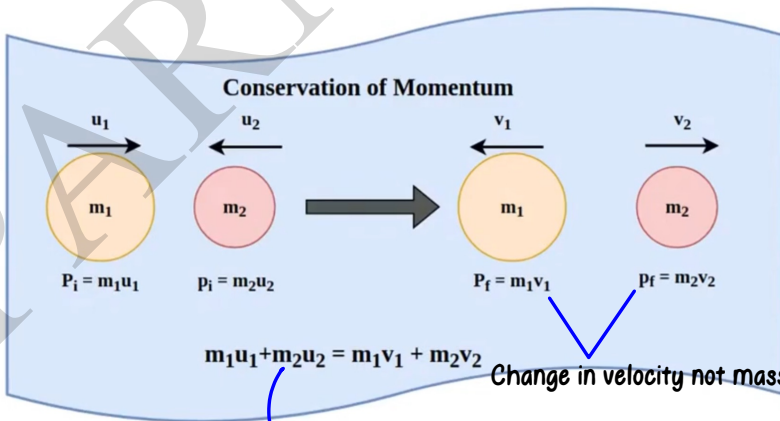




Works on conservation of momentum and Newton's 3rd law



Conservation of Momentum



Momentum is conserved → Conservation principle

A girl of mass 40 kg jumps with a horizontal velocity of 5 m s⁻¹ onto a stationary cart with frictionless wheels. The mass of the cart is 3 kg. What is her velocity as the cart starts moving? ~~Assume that there is no external unbalanced force working in the horizontal direction.~~

$$m_g u_1 + m_c u_2 = (M_g + M_c) \times V$$

$$40 \times 5 + 0 = (40 + 3) \times V$$

$$200 = 43 V$$

$$V = 4.65$$

One liners (MCQs)

- The range of weak nuclear force is of the order of 10⁻¹⁶ m
- Friction depends on the smoothness of the surfaces. The force of friction always opposes the applied forces
- The force of the Earth's gravity on every kilogram is about 10 N

$$g = 9.8 \text{ m/s}^2 \sim 10 \text{ m/s}^2$$

$$\text{Every kg} = 1 \times 10$$

$$= 10 \text{ N}$$

• 'Action at a distance force': Gravitational force

• Once a satellite has been launched into orbit, the only force governing its motion is the force of: Force of gravity

→ S.I unit of Electrostatic force

• In 1785, Charles Augustine Coulomb used the calibrate torsion balance to measure the force between electric charges

$$F = K \frac{q_1 q_2}{4\pi \epsilon_0}$$

Constant ←

→ Where q = charge



• The measure of force that can cause an object to rotate about an axis is called: Torque

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